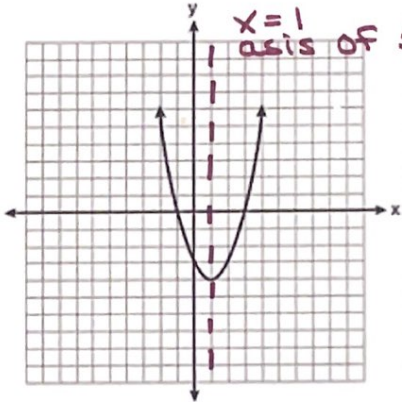


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3.3 Vertex Form of Quadratics Notes

<p>Vertex Form of a Quadratic Function</p>	<ul style="list-style-type: none"> Three forms of a Quadratic Equations: <u>Standard</u>, <u>factored</u>, and <u>vertex</u>. Vertex Form: $f(x) = a(x-h)^2 + k$ (h, k) is the vertex and $x=h$ is the axis of symmetry. a is the stretch factor and determines the dilation (width) and direction (opens up or down) of the parabola. <div style="text-align: right;">  </div>
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Transformation of the Parent Function

Directions: Describe the transformation of the parent function shown by the following equations.

<p>1. $f(x) = x^2 + 9$ The graph is shifted 9 units up.</p>	<p>2. $f(x) = \frac{1}{3}x^2 + 2$ The graph is shifted 2 units up and is vertically compressed by factor of $\frac{1}{3}$.</p>
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<p>3. $f(x) = -(x+5)^2$ The graph is shifted 5 units left and reflected across x axis.</p>	<p>4. $f(x) = -2(x+4)^2 + 3$ The graph is shifted 4 units left, 3 units up, reflected, and vertically stretched by a factor of 2.</p>
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Directions: Write the quadratic equation described

5. The parabola is reflected over the x-axis and translated seven units up and three units to the right.

$$f(x) = -(x-3)^2 + 7$$

6. The parabola is compressed vertically by a factor of $\frac{1}{4}$, and is translated two units up and four units to the left.

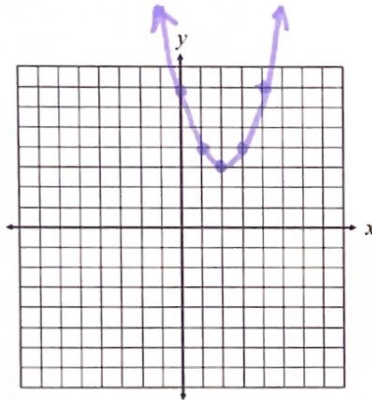
$$f(x) = \frac{1}{4}(x+4)^2 + 2$$

Directions: State the vertex, axis of symmetry, and the stretch factor. Then graph the parabola.

7. $f(x) = (x-2)^2 + 3$

$(2, 3)$ $x=2$ $a=1$

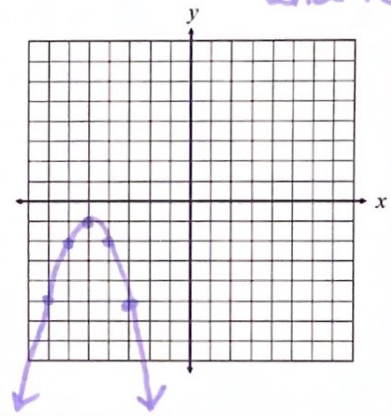
outputs same as parent.



8. $f(x) = -(x+5)^2 - 1$

$(-5, -1)$ $x=-5$ $a=-1$

or 1 and reflect



9. $y < -2(x-2)^2$

$(2, 0)$ $x=2$ $a=-2$

Test

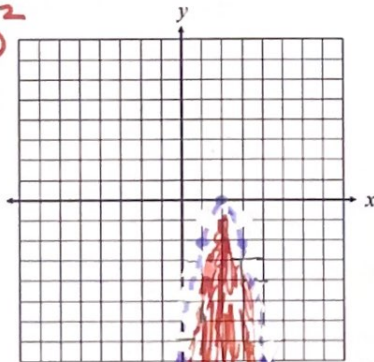
$0 < -2(0-2)^2$

$0 < -2(-2)^2$

$0 < -2(4)$

$0 < -8$

false



10. $f(x) = \begin{cases} -\frac{1}{2}x - 6 & x < -2 \\ (x-1)^2 - 5 & x \geq -2 \end{cases}$

